

**VIVEKANANDA COLLEGE**  
**THAKURPUKUR**  
**KOLKATA-700063**

**NAAC ACCREDITED 'A' GRADE**

**Topic: Mechanical Properties of Materials**

**Course Title: Applied Physics**

**Paper: CC-3**

**Unit:**

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**Name of the Teacher: Romela Dutta**

**Name of the Department: Electronics**

# Applied Physics

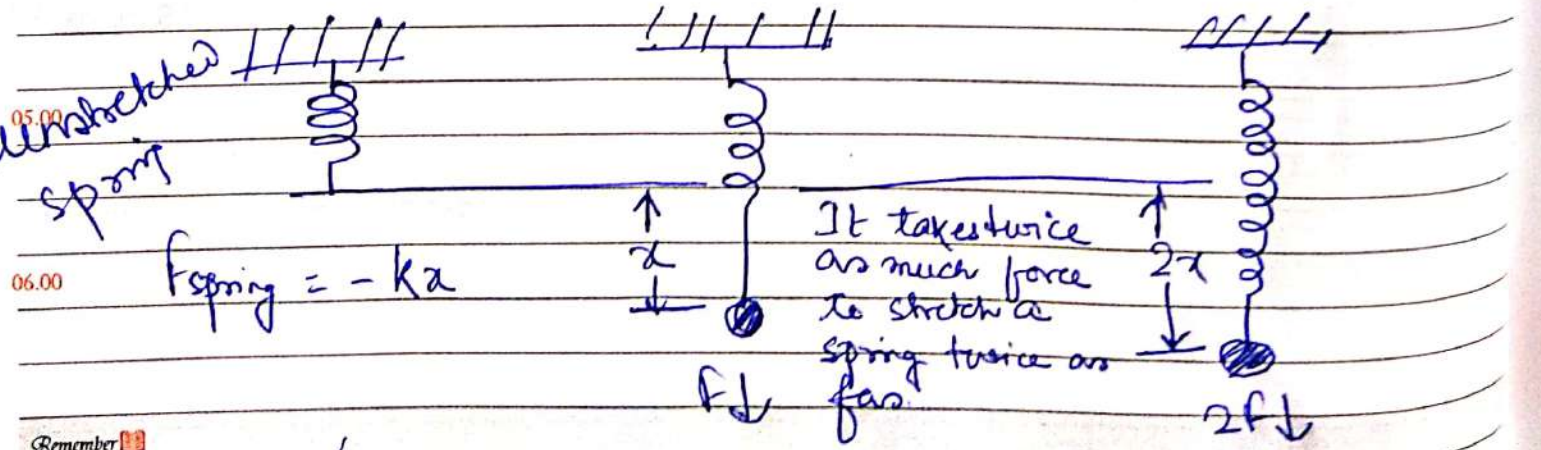
## Mechanical properties of materials

09.00  
 10.00 Hooke's law is a principle of physics that states that the force needed to extend or compress a spring by some distance is proportional to that distance. Hooke sought to demonstrate the relationship between the forces applied to a spring and its elasticity.

11.00 This can be expressed mathematically as  $f = -kx$ , where  $f$  is the force applied to the spring (either in the form of stress or strain).  $x$  is the displacement of the spring with a negative value demonstrating that the displacement of the spring once it is stretched and  $k$  is the spring constant (and details just how stiff it is).

12.00 Hooke's law is the first classical example of an explanation of elasticity - which is the property of an object or material which causes it to be restored to its original shape after distortion. This ability to return to a normal shape after experiencing distortion can be referred to as restoring force.

03.00 This restoring force is proportional to the amount of stretch.



Remember

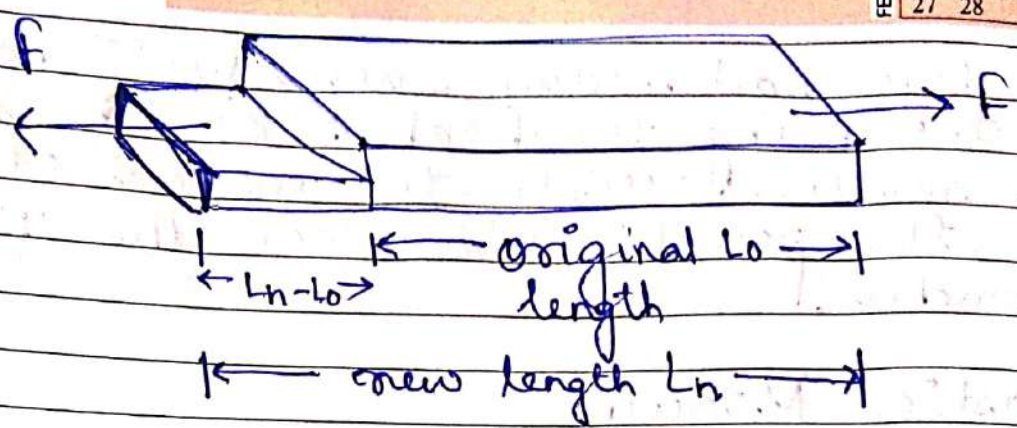
This law had many important practical applications with one being the creation of a balance wheel, which made possible the creation of the mechanical clock, the portable timepiece, the spring scale and manometer.

## Elastic Moduli

In the stress strain curve given below, the region within the elastic limit (region OA) is of importance to structural and manufacturing sectors since it describes the maximum

Young's modulus describes the elastic properties of a solid undergoing tension or compression in only one direction as in the case of a metal rod that after being stretched or compressed lengthwise returns to its original length. Young's modulus is a measure of ability of a material to withstand change in length when under lengthwise tension or compression. Sometimes referred to as the modulus of rigidity elasticity, Young's modulus is equal to the longitudinal stress divided by strain. Stress and strain may be described as follows in the case of a metal bar under tension.

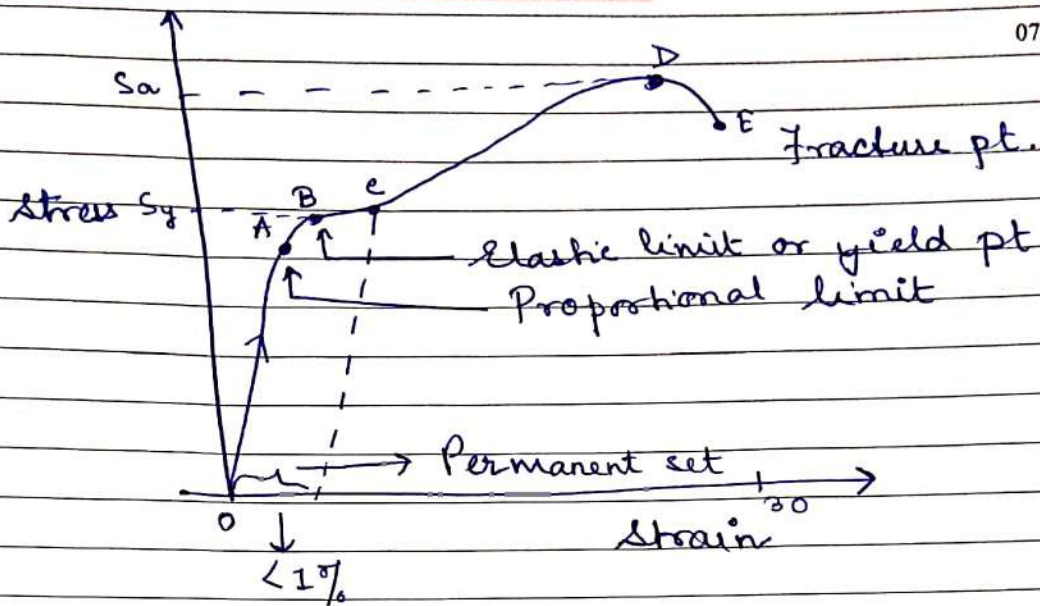
If a metal bar of cross sectional area  $A$  is pulled by a force  $F$  at each end, the bar stretches from its original length  $L_0$  to a new length  $L_n$ . The stress is the quotient of the tensile force divided by the cross sectional area or  $F/A$ . The strain or relative deformation is the change in length,  $L_n - L_0$ , divided by the original length, or  $(L_n - L_0)/L_0$ . Thus Young's modulus may be expressed mathematically as



$$\begin{aligned} \text{Young's modulus} &= \text{Stress} / \text{strain} \\ &= \frac{FL_0}{A(L_n - L_0)} \end{aligned}$$

The units of Young's modulus is  $N/m^2$ . The value of Young's modulus for Al is  $1.0 \times 10^7$  psi or  $7.0 \times 10^{10}$  Pa. The value for steel is about three times greater which means that it takes three times as much force to stretch a steel bar the same amount as similar shaped Al. bar.

When a metal bar under tension is elongated, its width is slightly diminished. This lateral shrinkage constitutes a transverse strain that is equal to the change in the width divided by the original width. The ratio of the transverse strain to the longitudinal strain is called Poisson's ratio. The average value of Poisson's ratio for steels is 0.28 and for Al alloys 0.33.



### Force exerted by stretched or contracted material

The Young's modulus of a material can be used to calculate the force it exerts under specific strain.

$$F = \frac{EA\Delta L}{L_0} \quad \text{where } F \text{ is the force exerted by the material}$$

when contracted or stretched by  $\Delta L$ .

Hooke's law for a stretched wire can be derived from

$$F = \left( \frac{EA}{L_0} \right) \Delta L = kx.$$

$$k \equiv \frac{EA}{L_0} \quad \& \quad x \equiv \Delta L.$$