

**VIVEKANANDA
COLLEGE**
THAKURPUKUR
KOLKATA-700063

NAAC ACCREDITED 'A' GRADE



Topic	: Feedback Amplifier
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Name of the Teacher	: Somnath Paul
Name of the Department	: Physics

Feedback Amplifier

The term feedback implies transfer of energy (i.e. voltage or current) from the output of a system to its input. Depending on the relative polarity of the signal being fed back into a circuit, one may have negative or positive feedback. Negative feedback results in decreased voltage gain, for which a number of circuit features are improved. ~~as summarized~~ positive feedback drives a circuit into oscillation as in various types of oscillator circuits.

⊗ General form of feedback Amplifier ⇒

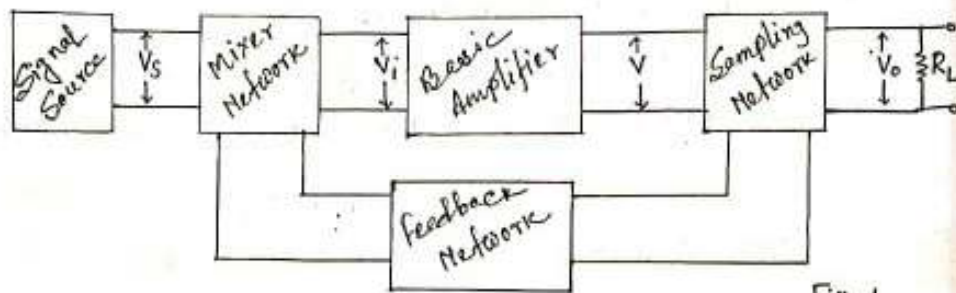


Fig-1.

⊗ Feedback Amplifier topology ⇒

There are four basic ways of connecting the feedback signal. Both voltage and current can be fed back to the input either in series or parallel. Specifically there can be:

1. Voltage series feedback
2. Voltage-shunt feedback.

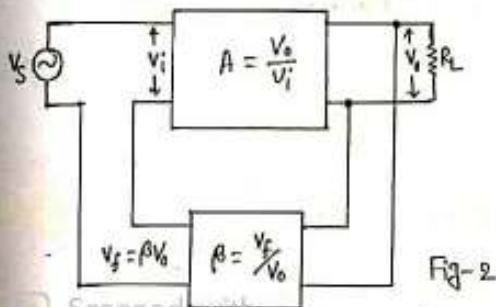


Fig-2

Scanned with
Gains with feedback $A_f = V_o/V_s$.

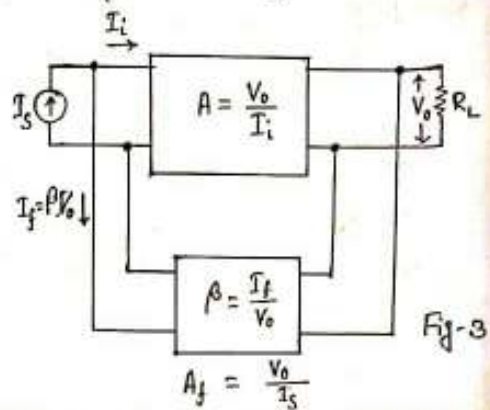
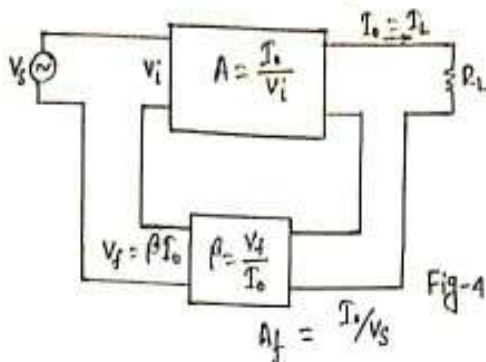


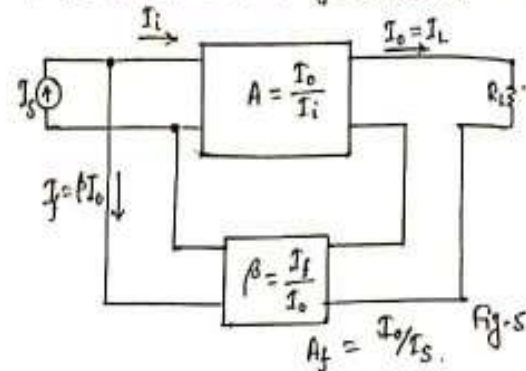
Fig-3

$A_f = \frac{V_o}{I_s}$

3. Current Series feedback



4. Current Shunt feedback.



Transfer gain with feedback \Rightarrow .

Let us consider fig-2, feedback voltage $v_f = \beta v_o$.

Now, without feedback $v_i = v_s$, so, gain of the amplifier without feedback $A = \frac{v_o}{v_i} = \frac{v_o}{v_s}$.

Again if we connect the feedback circuit.
the input $v_i = v_s + v_f = v_s + \beta v_o = v_s + A\beta v_i$

$$\therefore v_s = v_i (1 - A\beta)$$

Now, output voltage with feedback is.

$$v_o = A v_i = A \frac{v_s}{1 - A\beta}$$

$$\therefore \text{Gain with feedback } A_f = \frac{v_o}{v_s} = \frac{A}{1 - A\beta}$$

Now Note \Rightarrow For positive feedback both A & β are +ve.
or both A and β are -ve.
For Negative feedback either A or β is -ve.

Effects of Negative feedback \Rightarrow .

- i) Desensitization of transfer amplification
- ii) Stability of voltage gain
- iii) Reduction in distortion.
- iv) Increase of band width
- v) Reduction in noise.
- vi) Change in input and output impedance.

⑧ Desensitization of Transfer Amplification \Rightarrow .

Gain of an amplifier with feedback is $A_f = \frac{A}{1 - A\beta}$.

Now for negative feedback either A or β is negative.

$$\text{So, } A_f = \frac{A}{1 + A\beta}$$

If $A\beta \gg 1$ then $A_f = \frac{A}{A\beta} = 1/\beta$.

So, gain with feedback is independent of the gain of the main amplifier.

⑧ Reduction in Distortion \Rightarrow .

Let 'D' be the distortion generated in final stage of the amplifier.

\therefore Output voltage including distortion is then

$$E_o = V_o + D.$$

So, input voltage $V_i = V_s - \beta E_o$. [-ve sign for negative feedback].

$$= V_s - \beta(V_o + D).$$

But $A = \frac{V_o}{V_i}$

$$\therefore \frac{V_o}{A} = V_i = V_s - \beta(V_o + D)$$

$$V_o \left(\frac{1}{A} + \beta \right) = V_s - \beta D.$$

$$\therefore V_o = \frac{AV_s}{1 + A\beta} - \frac{A\beta D}{1 + A\beta}.$$

$$\therefore E_o = V_o + D = \frac{AV_s}{1 + A\beta} - \frac{A\beta D}{1 + A\beta} + D.$$

$$= A_f V_s + \frac{D}{1 + A\beta}$$

$$E_o = A_f V_s + D_f.$$

Again for negative feedback $1 + A\beta > 1$ so, $D_f < D$.

⑧ Improvement of stability \Rightarrow .

Gain of an amplifier with feedback is

$$A_f = \frac{A}{1 + A\beta}.$$

Diffⁿ w.r.t. A w.r. get,

$$\frac{\partial A_f}{\partial A} = \frac{1}{1 + A\beta} - \frac{A\beta}{(1 + A\beta)^2}$$



$$\frac{dA_f}{dA} = \frac{1}{(1+A\beta)^2}$$

$$\therefore dA_f = \frac{-dA}{(1+A\beta)^2}$$

$$\frac{dA_f}{A_f} = \frac{-dA}{(1+A\beta)^2} \cdot \frac{1+A\beta}{A}$$

$$= \frac{-dA}{A} \cdot \frac{1}{1+A\beta}$$

Now we define $S = \frac{dA}{A}$, is the fractional change in voltage gain with out feedback and $S_f = \frac{dA_f}{A_f}$ is that of with feedback, is called stability factor.

$$\text{So, } S_f = \frac{S}{1+A\beta}$$

So, $S_f < S$, i.e. improve the stability of the amplifier.

① Increase of Bandwidth \Rightarrow

Let f_L and f_H are the lower and upper cutoff frequency of a single stage R-C Coupled amplifier with a mid band gain A_m

From RC Coupled amplifiers with out feedback

$$A_L = \frac{A_m}{1-j(f/f_L)} \quad \& \quad A_H = \frac{A_m}{1+j(f/f_H)}$$

Now voltage gain with feedback

$$A_{Lf} = \frac{A_L}{1+A_L\beta}, \quad A_{Hf} = \frac{A_H}{1+A_H\beta} \quad \& \quad A_{mf} = \frac{A_m}{1+A_m\beta}$$

$$\text{Now, } A_{Lf} = \frac{A_m / (1-j(f/f_L))}{1 + \frac{A_m\beta}{1-j(f/f_L)}} = \frac{A_m}{1+A_m\beta - j(f/f_L)}$$

$$= \frac{A_m / (1+A_m\beta)}{1 + \frac{A_m\beta}{1+A_m\beta} - j(f/f_L)}$$

$$= \frac{A_{mf}}{1 - j \frac{f_L}{f(1+A_m\beta)}}$$

Again, Now, $f_{Lf} = \frac{f_L}{1 + A_m \beta}$.

So, $A_{Lf} = \frac{A_{mf}}{1 - j\left(\frac{f_L}{f}\right)}$.

\therefore for negative feedback $f_{Lf} < f_L$.

Similarly we can show that

$A_{hf} = \frac{A_{mf}}{1 + j\left(\frac{f}{f_{hf}}\right)}$ with $f_{hf} = f_h (1 + A_m \beta)$.

$\therefore f_{hf} > f_h$ for negative feedback.

So, using negative feedback, we can increase the band width of the amplifier.

● Input resistance \Rightarrow .

If the feedback signal is returned to the input in series with the applied voltage (regardless of whether the feedback is obtained by sampling the output current or voltage), it increases the input resistance, since the feedback voltage V_f opposes V_s , the input current is less than that of when V_f is absent.

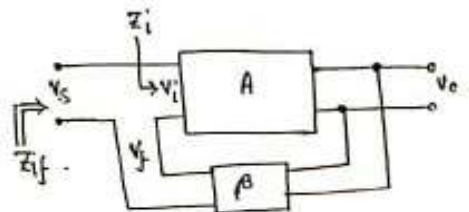
Negative feedback in which the feedback signal is returned to the input in shunt with the applied signal (regardless of whether the feedback is obtained by sampling the output current or voltage) decreases the input resistance.

● Voltage series \Rightarrow .

If I_i be the current following through Z_i then

$Z_i = \frac{V_i}{I_i}$

with feedback input impedance $Z_{if} = \frac{V_s}{I_i}$



But for negative feedback $V_i = V_s - V_f$

$$\text{or, } v_s = v_i + v_f = v_i + \beta v_o \\ = v_i (1 + A\beta)$$

$$\therefore Z_{if} = \frac{v_i (1 + A\beta)}{I_i} = Z_i (1 + A\beta)$$

Again for negative feedback $(1 + A\beta) > 1$

$$\text{So, } Z_{if} > Z_i$$

● Current Shunt \Rightarrow

There is another type of mixing known as shunt mixing. In this

case current gain is defined as $A_I = \frac{I_o}{I_i}$

The input impedance without feedback is $Z_i = \frac{V_s}{I_i}$

The input impedance with feedback is $Z_{if} = \frac{V_s}{I_s}$

$$\text{But } I_s = I_i + I_f \quad \left[\begin{array}{l} I_f = \beta I_o \\ = A_I \beta I_i \end{array} \right]$$

$$= I_i (1 + A_I \beta)$$

$$\text{So } Z_{if} = \frac{V_s}{I_i (1 + A_I \beta)} = \frac{Z_i}{(1 + A_I \beta)}$$

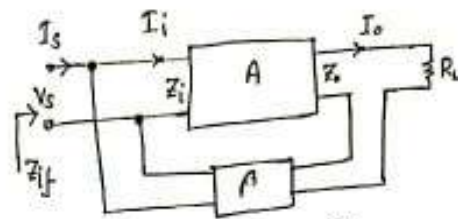
$$\text{So, Here } Z_{if} < Z_i$$

● Output resistance \Rightarrow

Negative feedback in which samples the output voltage regardless of how this output signal is returned to the input tends to decrease the output resistance where as for current sampling output resistance increase.

● Voltage series \Rightarrow

In order to calculate the ~~the~~ output impedance (or resistance) of an amplifier with feedback



the input source V_s is reduced to zero and a voltage source of emf V_0 is connected to the output terminals after removing the load impedance.

If I' be the current delivered by V_0 with no feedback, the output impedance without feedback is

$$Z_i = \frac{V_0}{I'}$$

with feedback the input voltage of main amplifier is

$$V_i = -V_f = -\beta V_0.$$

with feedback the current I_0 is given by.

$$I_0 = \frac{V_0 - (-\beta V_0)}{Z_0} = \frac{V_0(1 + \beta)}{Z_0}$$

Hence output impedance with feedback

$$Z_{of} = \frac{V_0}{I_0} = \frac{Z_0}{1 + \beta}. \quad \text{So, } Z_{of} < Z_0$$

Current Series \Rightarrow

Let Z_0 be the output impedance of the amplifier without feedback, then with 'no feedback', current delivered by the voltage source V_0 is

$$I' = \frac{V_0}{Z_0}.$$

with feedback let I be the current drawn by the amplifier from the source

$$\begin{aligned} \therefore \text{Output current } I &= \frac{V_0}{Z_0} - AV_i \\ &= \frac{V_0}{Z_0} - AV_f \quad [\text{Since } V_i = V_f] \\ &= \frac{V_0}{Z_0} - \beta I \end{aligned}$$

$$\frac{V_0}{Z_0} = I(1 + \beta).$$

$$\therefore Z_{of} = \frac{V_0}{I} = Z_0(1 + \beta).$$

$$\therefore Z_{of} > Z_0.$$

